

Time-Sensitive Utility-Based Routing in Duty-Cycle Wireless Sensor Networks with Unreliable Links

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Introduction: utility-based routing

- **Concept** : Utility-based routing

- **Utility** is a composite metric

$$\text{Utility } (\mathcal{U}) = \text{Reliability } (\rho) * \text{Benefit } (b) - \text{Cost } (c)$$

- **Benefit** is a reward for a routing

- succeed: a positive reward

- fail: 0 reward

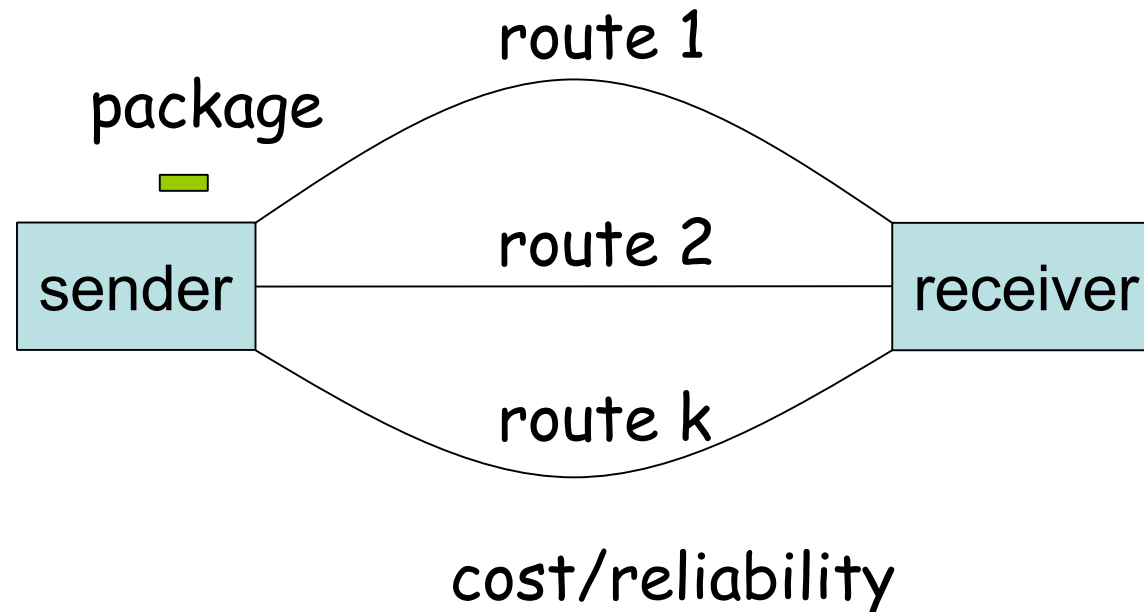
- **Cost** is the total transmission cost for the routing

- Benefit and cost are uniformed as the same unit

- **Objective** is to maximize the utility of a routing

Introduction: utility-based routing

- **Motivation** of Utility-based Routing
 - Valuable package: Fedex (more reliable, costs more)
 - Regular package: Regular mail (less reliable, costs less)

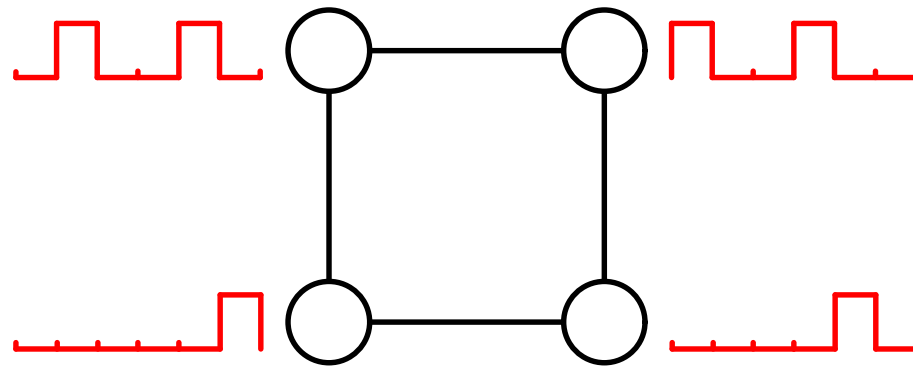


Introduction: duty-cycle WSN

- Duty-cycle WSN

- Each node has two working states:

- **active**: all functions (send/receive, etc.).
- **dormant**: can be waked up by a timer to send packets.

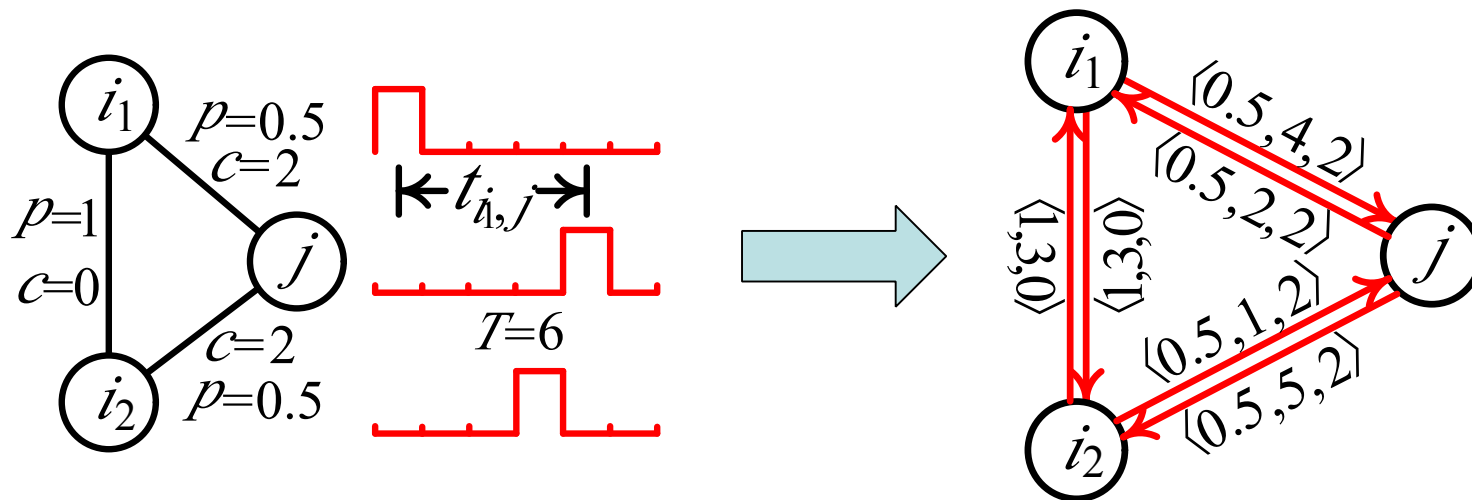


- Each sensor schedules its working states periodically

- There is a **non-negligible delivery delay**.

Introduction: duty-cycle WSN

Any duty-cycle WSN can be converted to a direct weighted graph



$\langle p \text{ (reliability)}, t \text{ (delay)}, c \text{ (cost)} \rangle$

A duty-cycle WSN: $\langle V, W = \{ \langle p, t, c \rangle \} \rangle$

Motivation

**Utility-based
routing**



**Duty-cycle
WSN**

**delivery delay is an
important factor for
the routing design**

**Time-sensitive
utility-based routing**

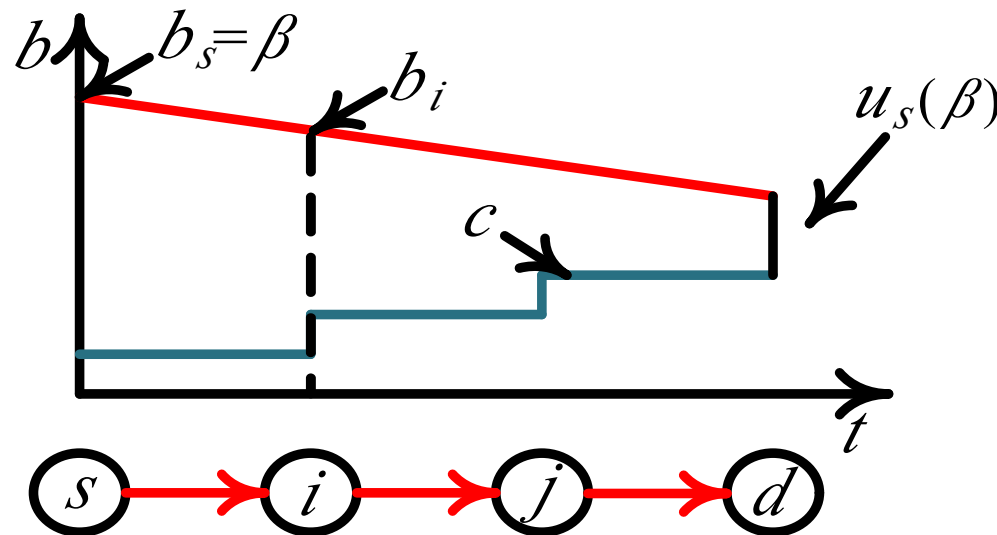
Time-sensitive utility model

- **Benefit:** a linearly decreasing reward over time

$$b(t) = \begin{cases} \beta - t \cdot \delta, & \text{successful delivery} \\ 0, & \text{failed delivery} \end{cases}$$

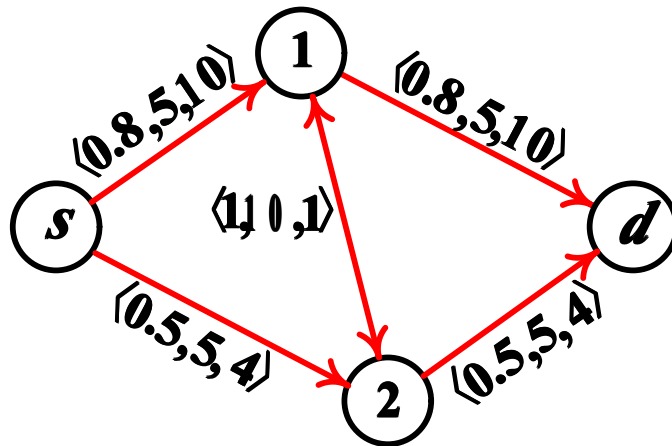
- **Utility:** $u = b(t) - c$

- **Remaining benefit b & Expected utility $u(b)$**



Problem

- **Time-sensitive utility-based routing**
 - duty-cycle network $\mathbf{G} = \langle \mathbf{V}, \mathbf{W} \rangle$,
 - source s , destination d , initial benefit β , benefit decay coefficient δ
 - **Objective**: maximize $u_s(\beta)$.



benefit	path
$50 - t$	$s \rightarrow 1 \rightarrow d$
$40 - t$	$s \rightarrow 2 \rightarrow d$
$30 - 0.1t$	$s \rightarrow 2 \rightarrow 1 \rightarrow d$

Solution

- **Expected utility for a single path**



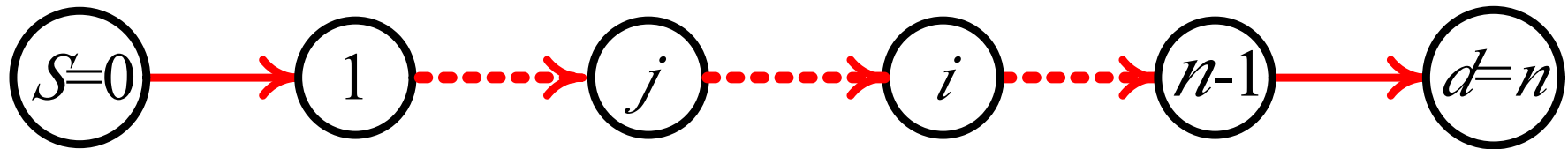
	benefit	cost
Succeed (p):	$45 - 1 * 5 = 40$	10
Fail ($1 - p$):	0	10
Expected	$0.8 * 40 + 0.2 * 0$	10

– Expected utility: $0.8 * 40 - 10 = 22$

$$u_s(\beta) = p_{s,d} * (\beta - \delta * t_{s,d}) - c_{s,d}$$

Solution

- **Expected utility for a single path**



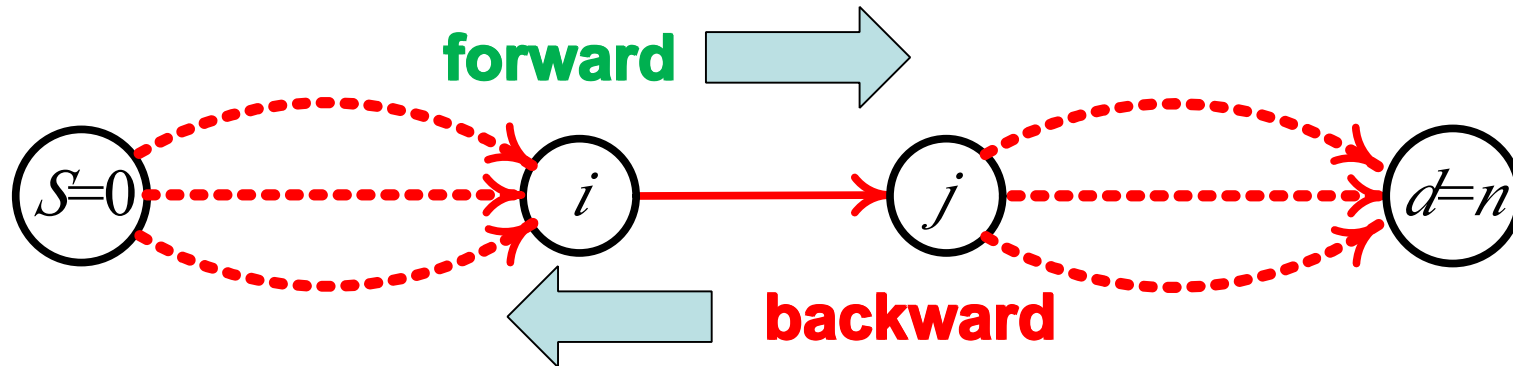
- A general formula (**Theorem 1**)

$$u_s(\beta) = \prod_{i=0}^{n-1} p_{i,i+1} \left(\beta - \delta \sum_{i=0}^{n-1} t_{i,i+1} \right) - \sum_{i=0}^{n-1} c_{i,i+1} \prod_{j=0}^{i-1} p_{j,j+1}$$

Require the global information
inefficient for multiple paths

Solution

- Local iterative formula (**Theorem 2**)

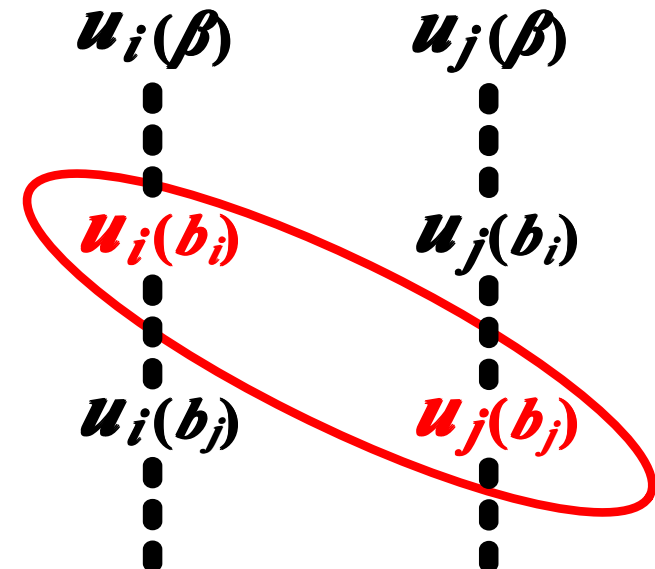


Forward:

$$b_j = b_i - \delta^* t_{ij}$$

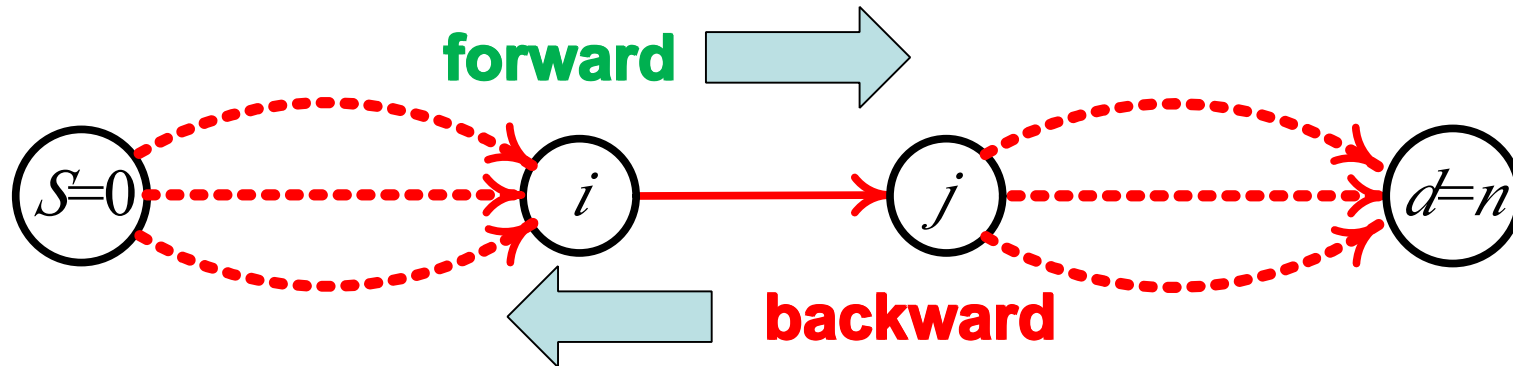
Backward:

$$u_i(b_i) = p_{ij} * u_j(b_j) - c_{ij}$$



Solution

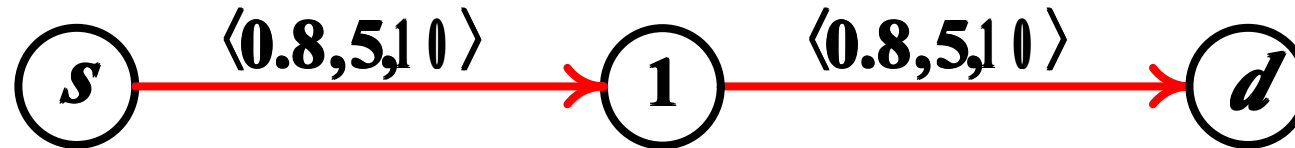
- **Local iterative formula (Theorem 2)**



1. The number of b_i needs to be calculated is limited. Especially for a well scheduled duty-cycle WSN, the number is a small value (an example in paper).
2. When we compute b_i and $u_i(b_i)$ for the largest β , the b_i and $u_i(b_i)$ for other β are also calculated.

Solution

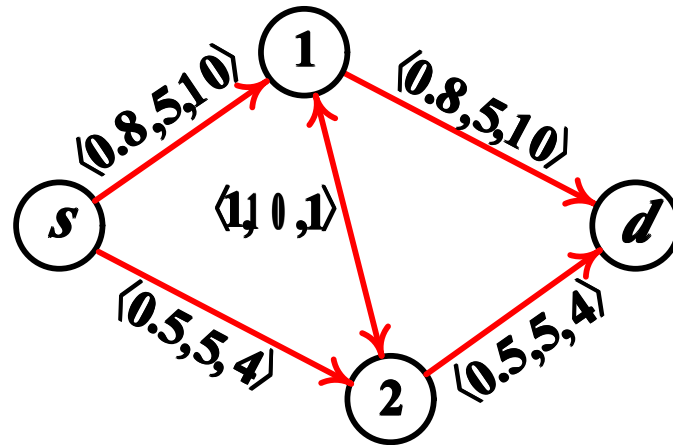
– Example:



benefit	$\beta=50, \delta=1$
directly computation	$u_s=0.8 \times 0.8 \times (50 - 1 \times (5+5)) - (10 + 10 \times 0.8) = 7.6$
iteratively computation	$b_s=50, b_1=45, b_d=40$
	$u_d(b_d) = b_d = 40$
	$u_1(b_1) = P_{1,d} \times u_d(b_d) - C_{1,d} = 0.8 \times 40 - 10 = 22$
	$u_s(b_s) = P_{s,1} \times u_1(b_1) - C_{s,1} = 0.8 \times 22 - 10 = 7.6$

Solution

– Example:



path \ benefit	$50 - t$	$40 - t$	$30 - 0.1t$
$s \rightarrow 1 \rightarrow d$	7.6	1.2	0.56
$s \rightarrow 2 \rightarrow d$	4	1.5	1.25
$s \rightarrow 2 \rightarrow 1 \rightarrow d$	2.5	-1.5	1.7
$s \rightarrow 1 \rightarrow 2 \rightarrow d$	1.6	-2.4	0.8

Simulation

- Settings**

Parameter name	Default value	Range
Deployment area S	100m × 100m	-
Number of nodes V	-	200-600
Transmission probability	-	0.3-0.9
Transmission cost	-	1-10
Scheduling cycle	20	-
Initial benefit	100	10-100
Benefit decay coefficient	0.02	0.02-0.2
Number of messages	10,000	-

Simulation

- Algorithms in comparison
 - MinDelay
 - MaxRatio
 - MinCost
- Metrics
 - Average utility
 - Average delivery delay
 - Average delivery ratio
 - Average delivery cost

Simulation

- Results
 - Average utility vs. initial benefit



Simulation

- Results
 - Average utility vs. benefit decay coefficient



Simulation

- Results
 - Average utility vs.
initial benefit & benefit decay coefficient



Simulation

- Results
 - Average delay vs.
initial benefit & benefit decay coefficient



Simulation

- Results
 - Average ratio vs.
initial benefit & benefit decay coefficient



Simulation

- Results
 - Average cost vs.
initial benefit & benefit decay coefficient



Conclusion

- Our proposed algorithm outperforms the other compared algorithms in utility.
- The larger the initial benefit and the smaller the benefit decay coefficient are, the larger the average utility would be.
- Our proposed algorithm has achieved good performances with reliability, delay, and cost at the same time.

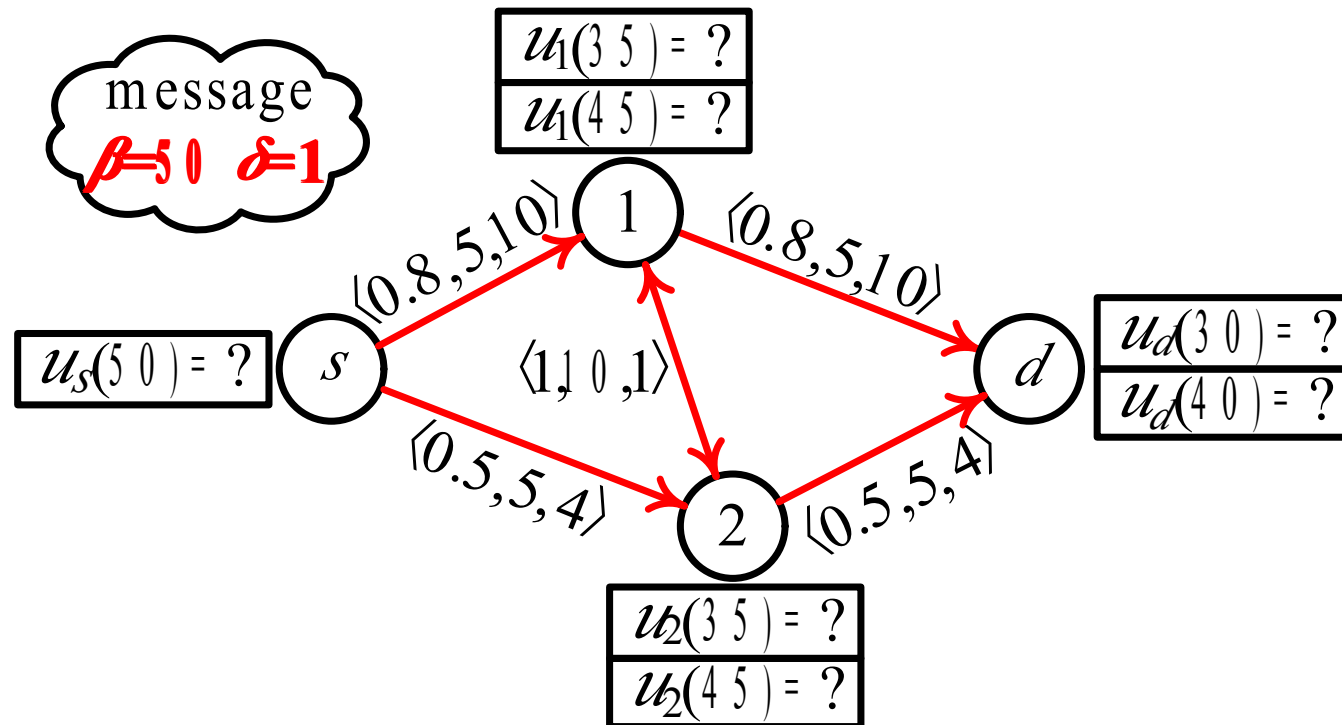


Thanks!

Q&A

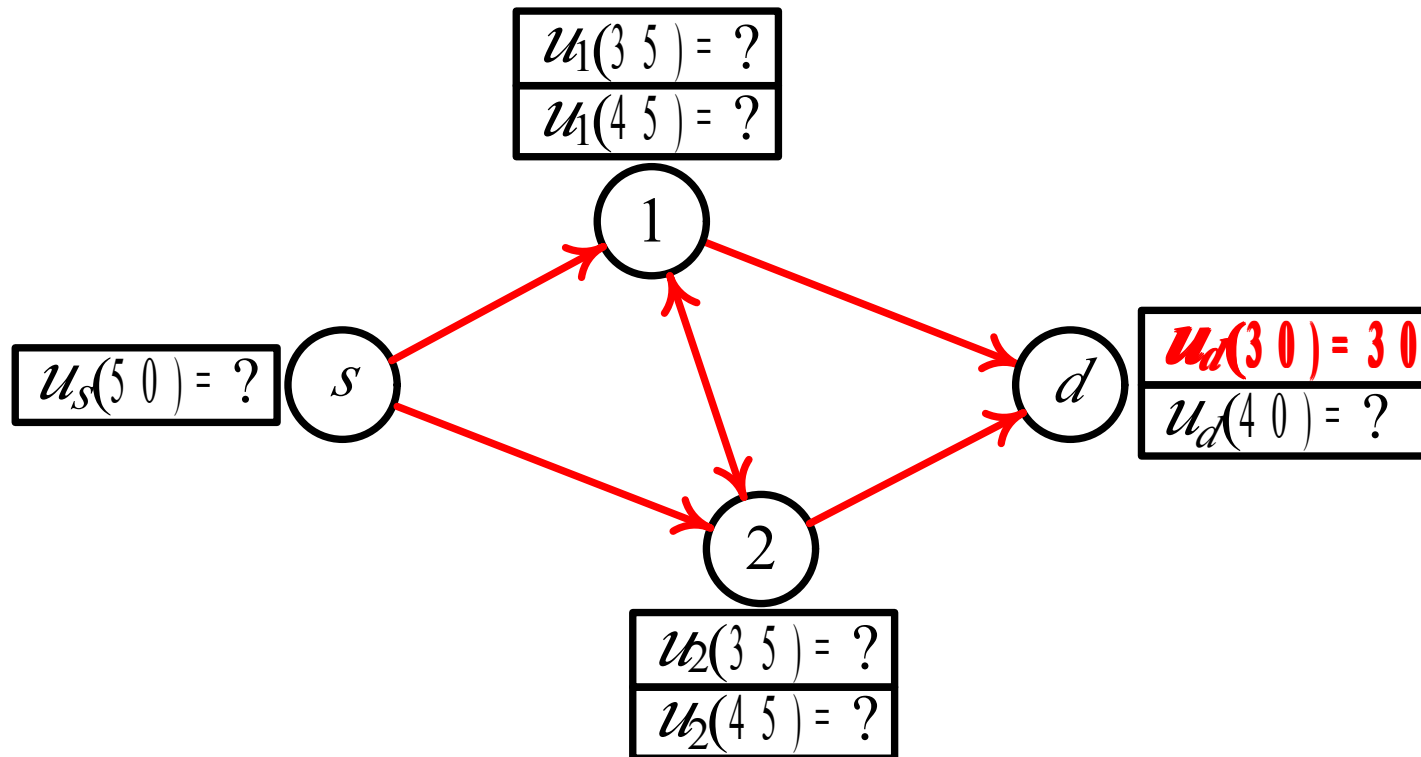
Solution

- Example



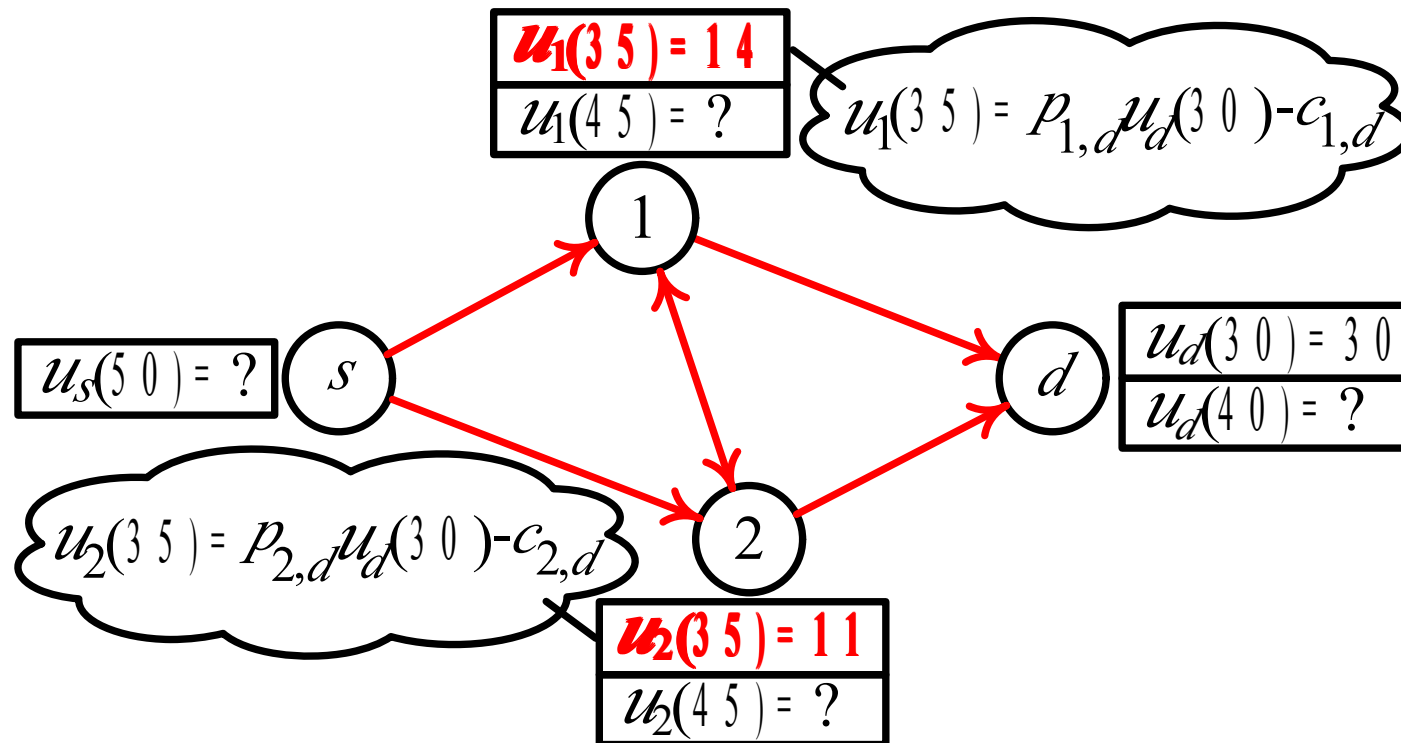
Solution

- Example



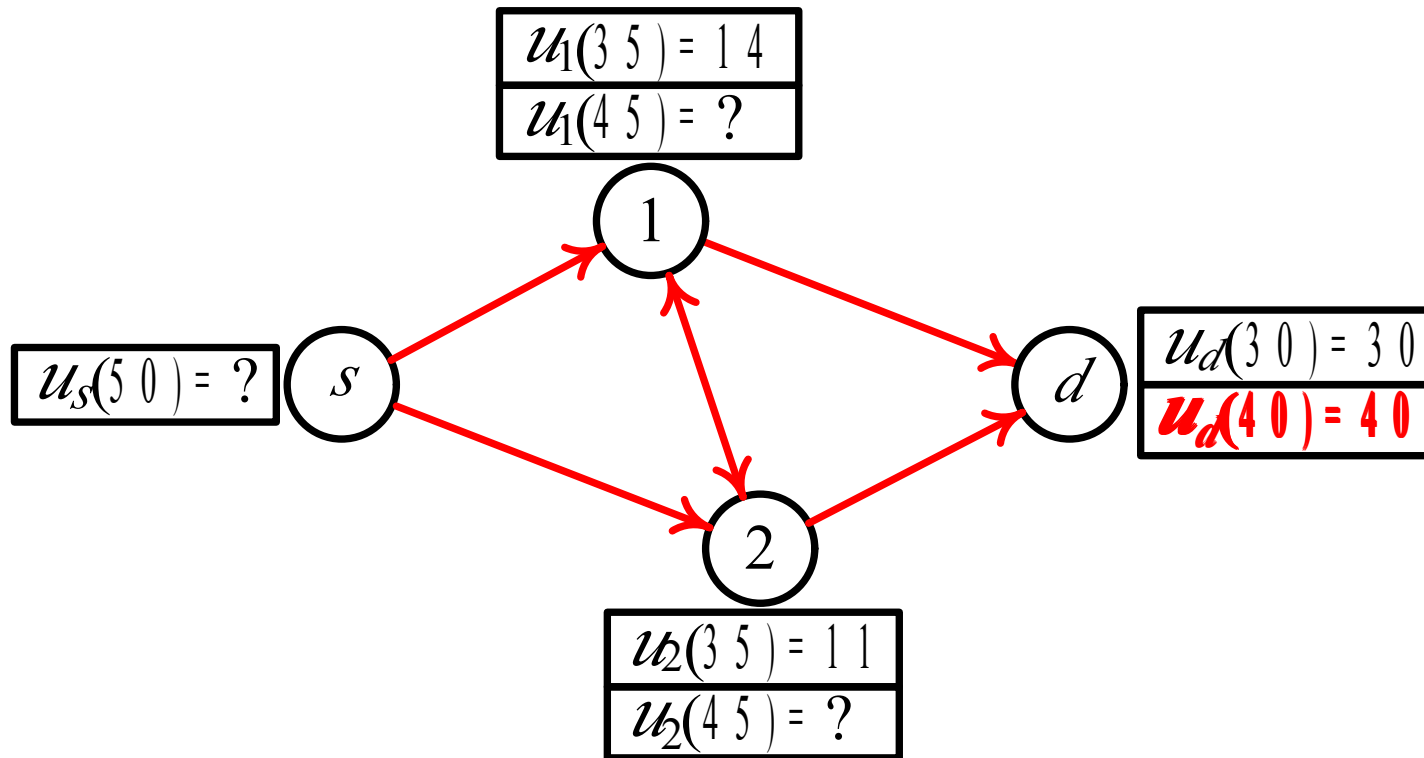
Solution

- Example



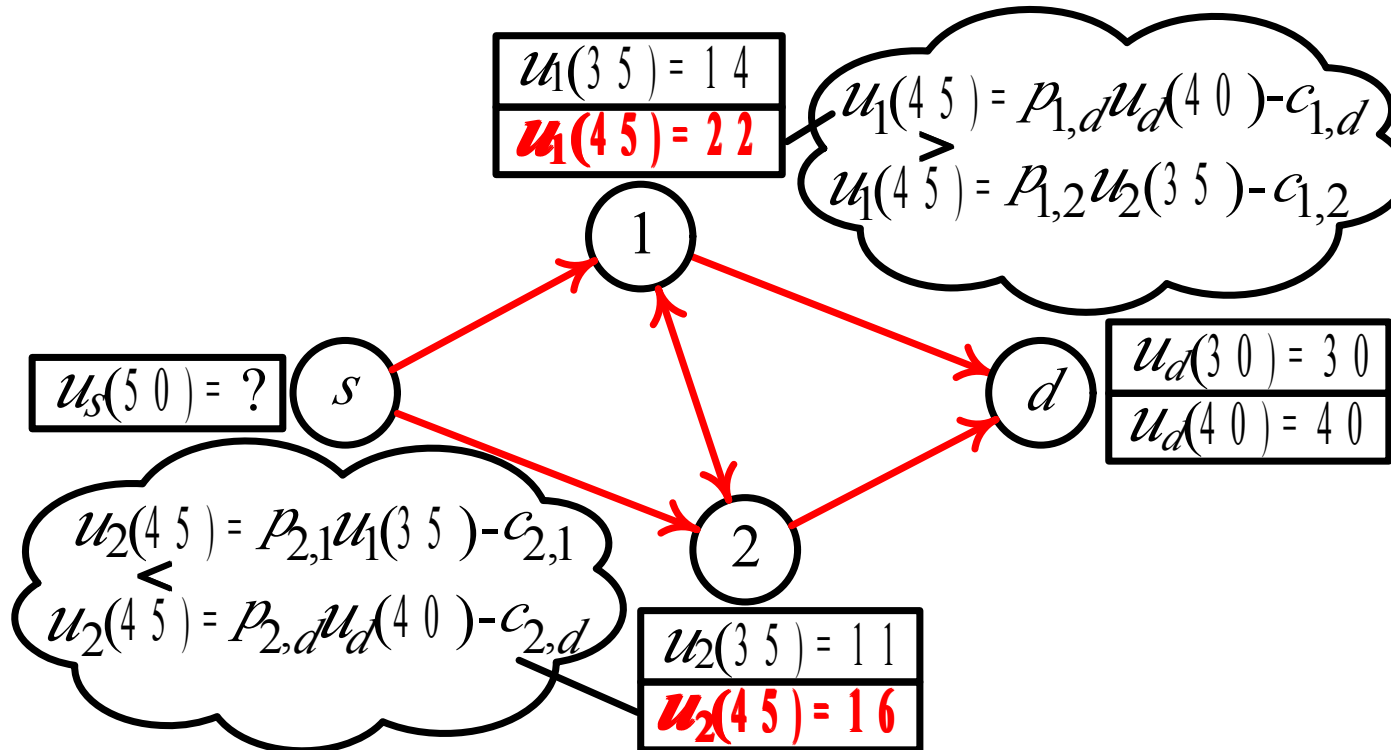
Solution

- Example



Solution

- Example



Solution

- Example

